

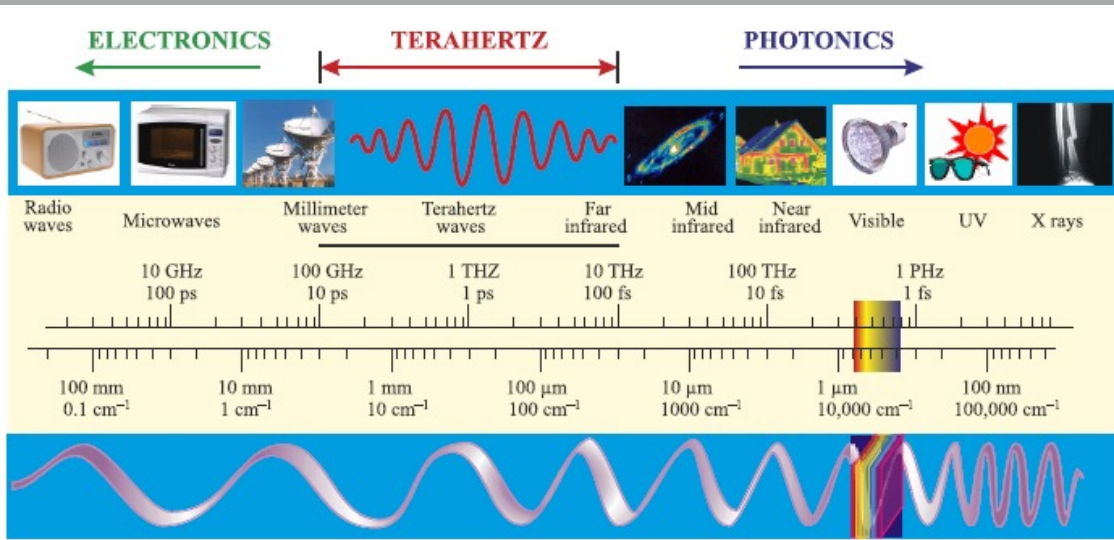
# **ORIGINS OF TERAHERTZ PHOTORESPONSE IN GRAPHENE TRANSISTORS: THEORY AND EXPERIMENT**

Gayduchenko I.A.

## **Outline:**

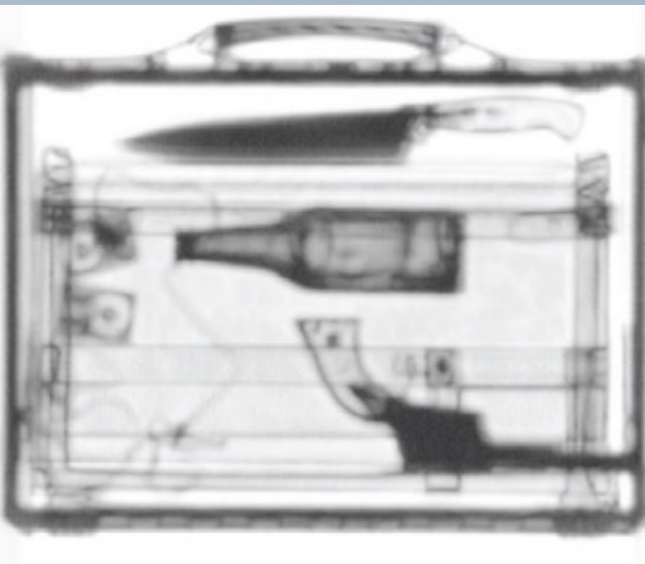
1. Introduction:
  - What is THz radiation?
  - THz Detectors. Why graphene (CNT) based
2. The main mechanisms of THz radiation detection by graphene-based FET devices
3. Asymmetric devices based on graphene:
  - Device fabrication and experimental setup
  - Device characterization
  - Response of asymmetric devices based on graphene on THz radiation
  - Contribution of plasmonic response to the detection of sub-terahertz radiation using graphene based devices
4. Conclusions

# MOTIVATION

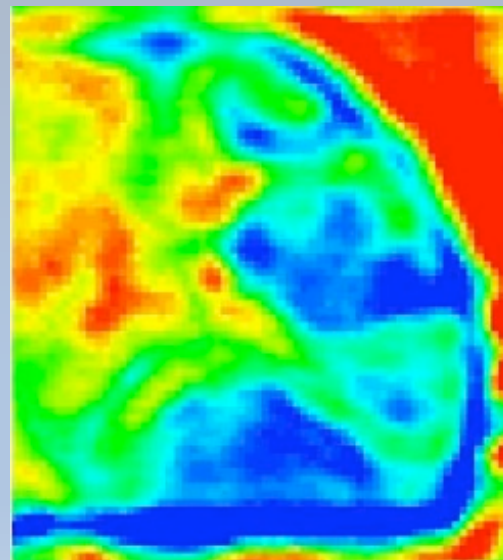


THz range is important for:

- Security
- Medicine
- Astronomy
- Etc.



Visualization of the hidden objects

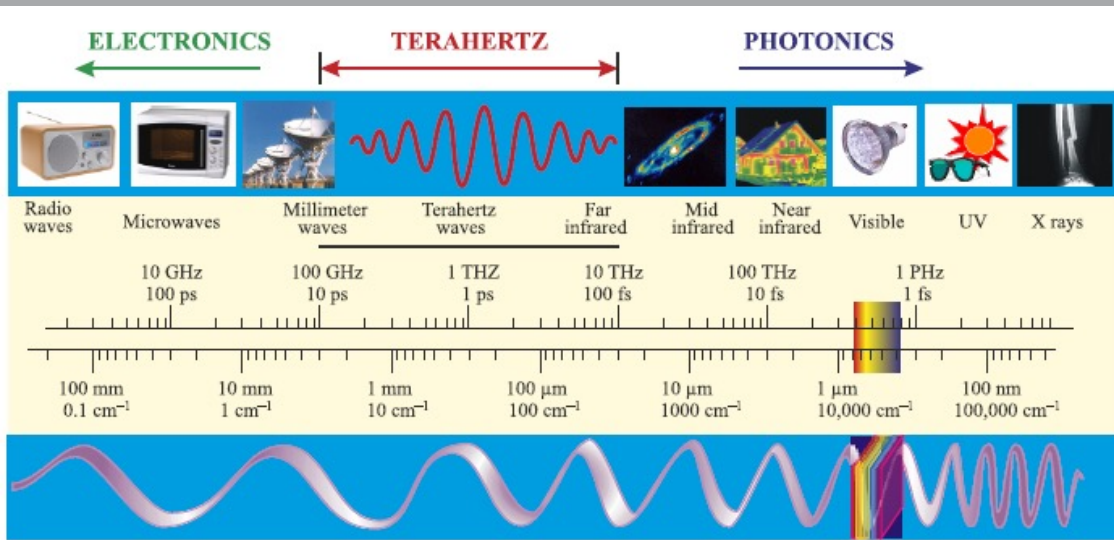


THz image of liver



Astronomy

# MOTIVATION



**Detectors.**

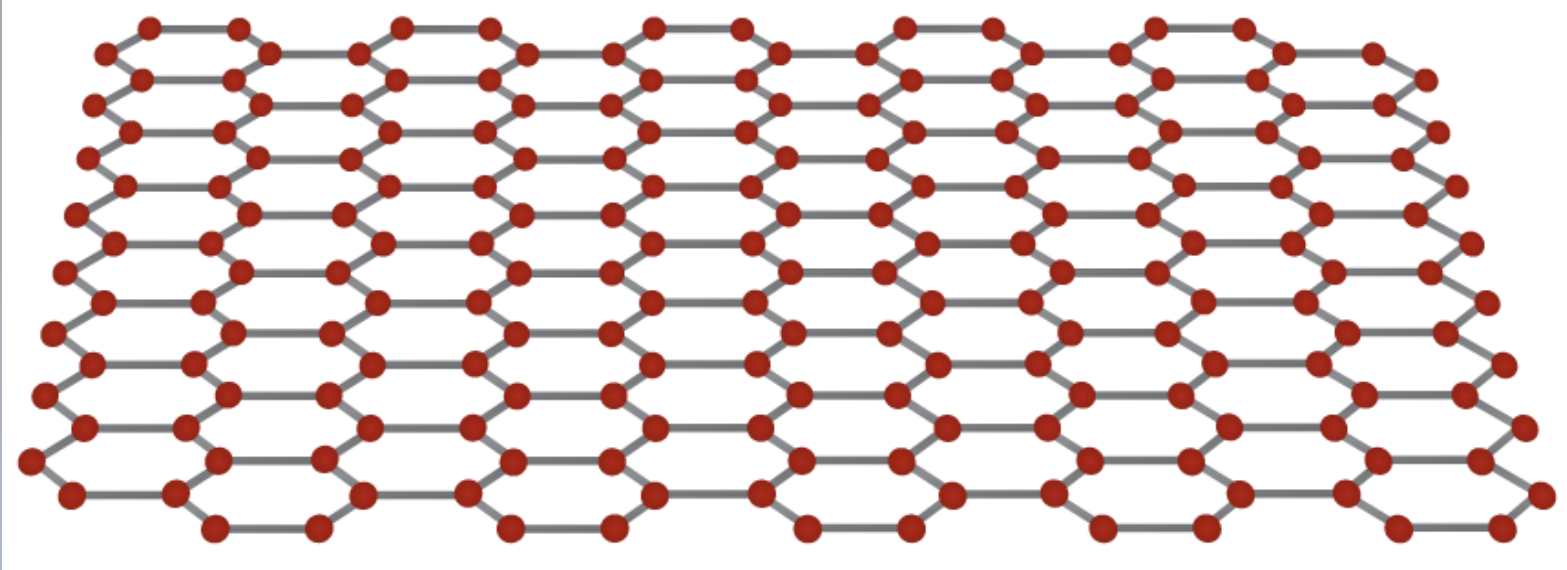
**Why nanosturture:**

- Sensitive
- Fast
- Energy efficient
- Etc.

**Detectors. Why graphene (CNT) based:**

- Gapless graphene has strong interband absorption at all frequencies
- High room-temperature mobility
- Geometric control of the band structure
- Easy to fabricate
- The frequency of graphene plasma waves lies in the terahertz range

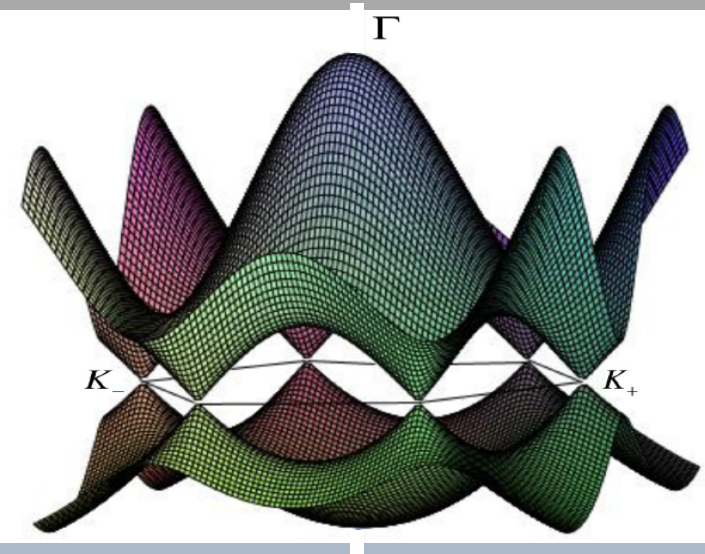
# MOTIVATION



## **Detectors. Why graphene (CNT) based:**

- **Gapless graphene has strong interband absorption at all frequencies**
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  - **Easy to fabricate**
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# MOTIVATION

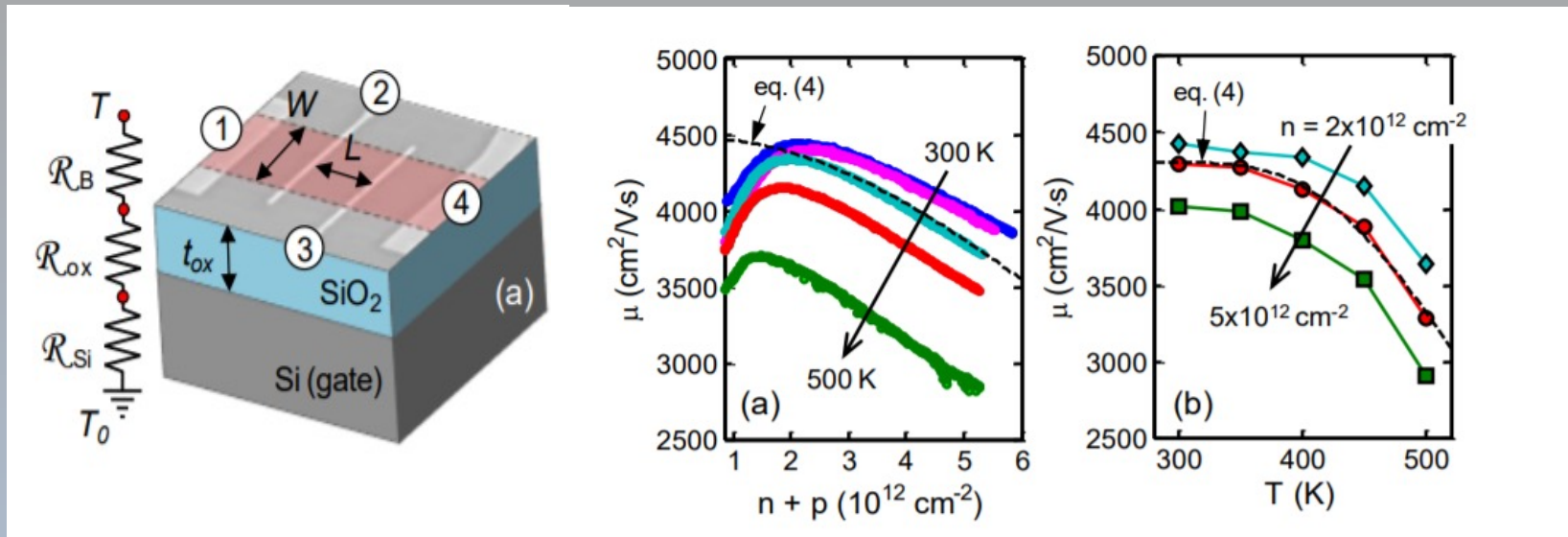


$$E(k) = E_0 + 2\gamma_1 \left( \cos(\vec{k}\vec{a}_1) + \cos(\vec{k}\vec{a}_2) + \cos(\vec{k}(\vec{a}_1 - \vec{a}_2)) \right) \pm \gamma_0 \sqrt{3 + 2\cos\vec{k}\vec{a}_1 + 2\cos\vec{k}\vec{a}_2 + 2\cos\vec{k}(\vec{a}_1 - \vec{a}_2)}$$

## Detectors. Why graphene (CNT) based:

- Gapless graphene has strong interband absorption at all frequencies
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  - Easy to fabricate
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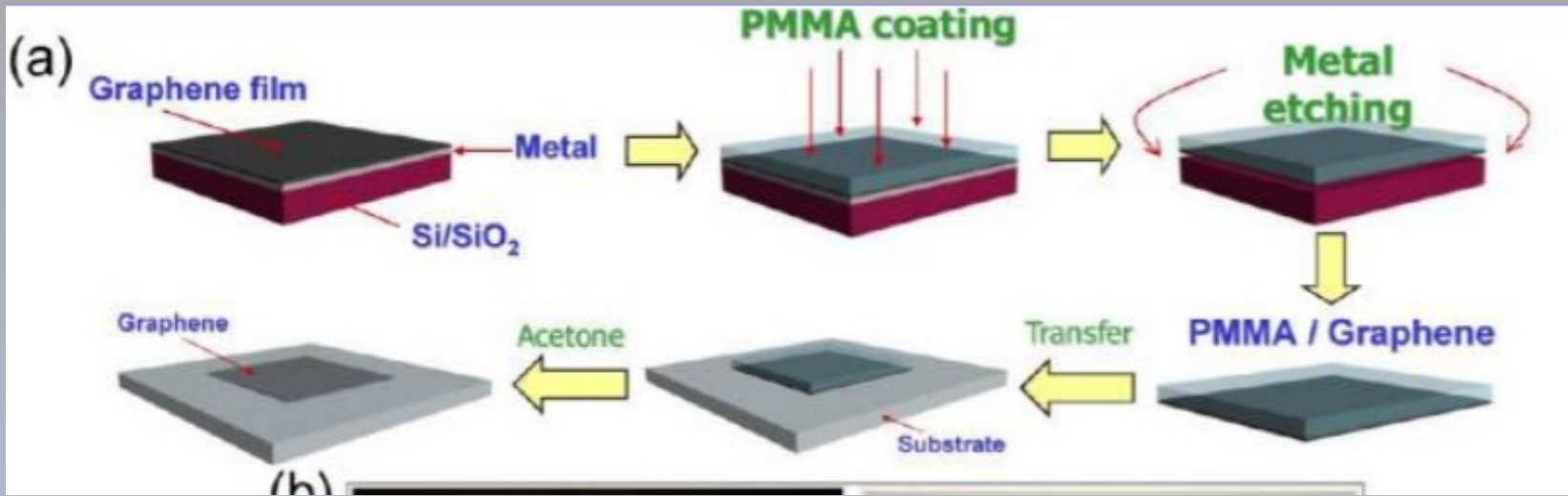
# MOTIVATION



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# MOTIVATION



## Detectors. Why graphene (CNT) based:

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- Geometric control of the band structure
- **Easy to fabricate**
  - The frequency of graphene plasma waves lies in the terahertz range



**Plasmonics forms a major part of the fascinating field of *nanophotonics*, which explores how electromagnetic fields can be confined over dimensions on the order of or smaller than the wavelength.**

*Plasmonics: Fundamentals and Applications*

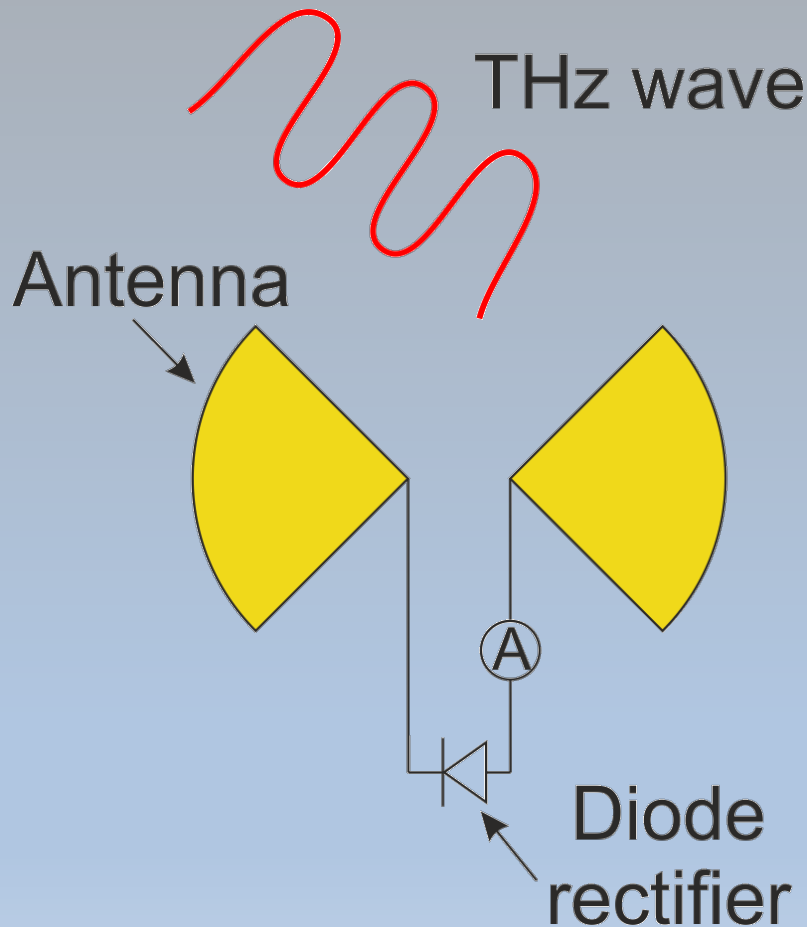
*Authors: Maier, Stefan Alexander*

*Springer, 2007*

## **Detectors. Why graphene (CNT) based:**

- Gapless graphene has strong interband absorption at all frequencies**
- High room-temperature mobility**
- Geometric control of the band structure**
  - Easy to fabricate**
  - The frequency of graphene plasma waves lies in the terahertz range**

# What do we mean by graphene THz detector



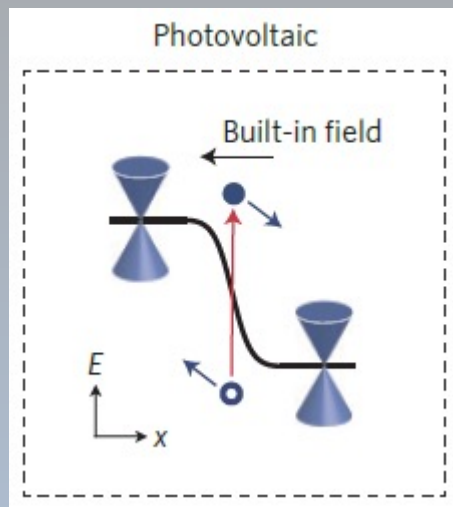
$$\langle I(\delta V \cos \omega t) \rangle_T \approx$$

$$\frac{dI}{dV} \delta V \langle \cos \omega t \rangle_T + \frac{1}{2} \frac{d^2 I}{dV^2} \delta V^2 \langle \cos^2 \omega t \rangle_T$$

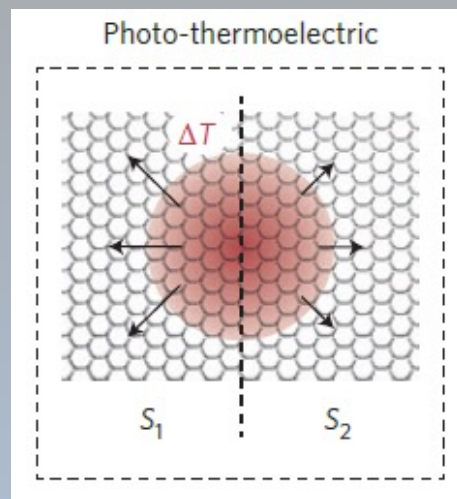
$$= \frac{1}{4} \frac{d^2 I}{dV^2} \delta V^2$$

Study of detection mechanisms  
is the study of nonlinearities

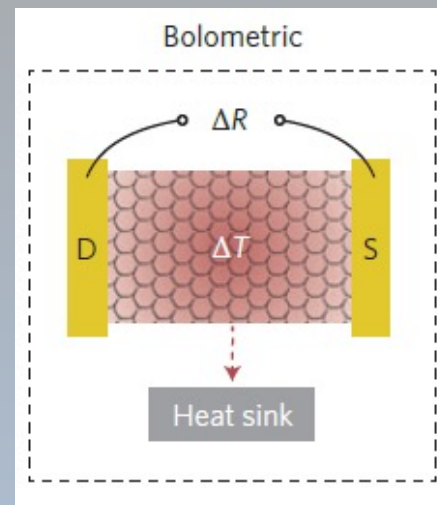
# The main mechanisms of THz radiation detection by graphene-based FET devices



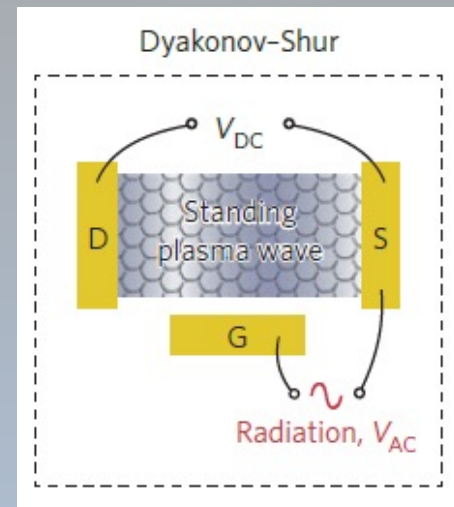
Current due to built-in field at the junction OR rectification due to diode nonlinearity



Voltage due to temperature gradients in nonuniformly doped channel



Resistance change due to overall device heating

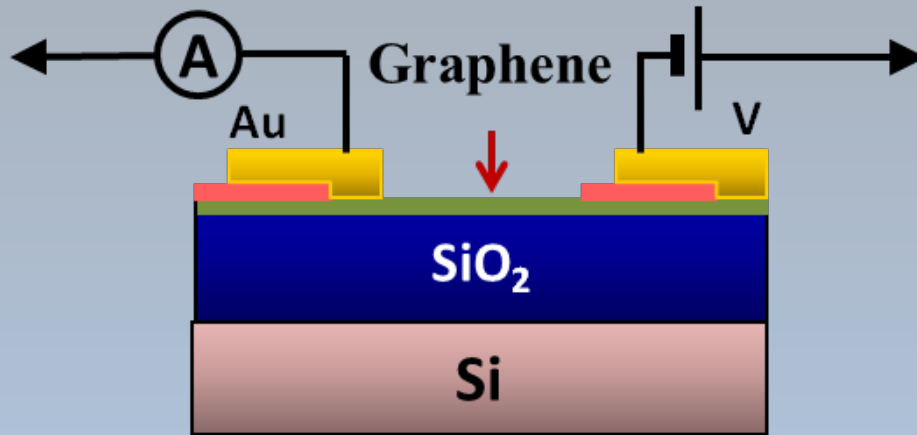


Formation of standing plasma waves in the device channel

Figure from: F.H.L. Koppens, T. Mueller, P. Avouris, A.C. Ferrari, M.S. Vitiello, M. Polini, "Photodetectors based on graphene, other two-dimensional materials and hybrid systems" *Nature nanotechnology*, 9, 780-793 (2014)

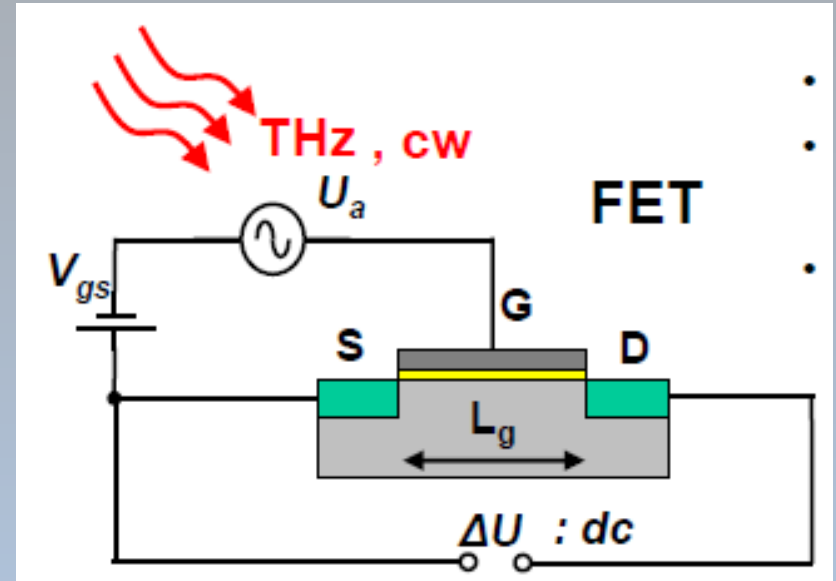
# Two types of asymmetric graphene based structures

## *Asymmetric metallization*



*Difference in workfunction results in formation of a p-n junction along the channel. Schottky diode*

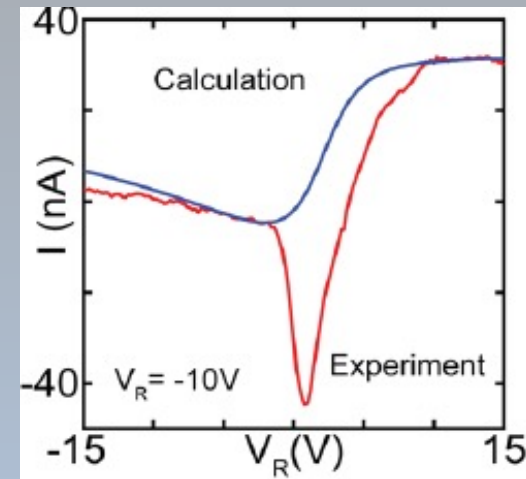
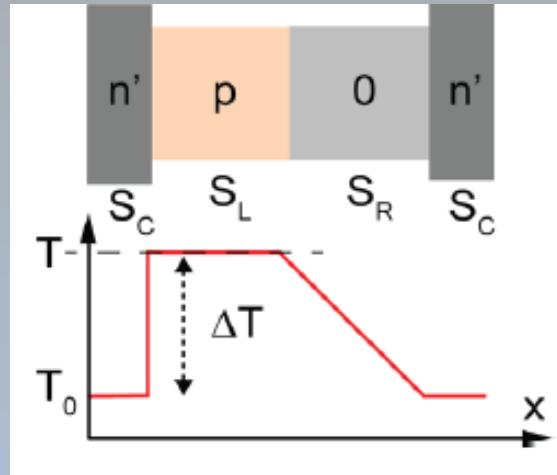
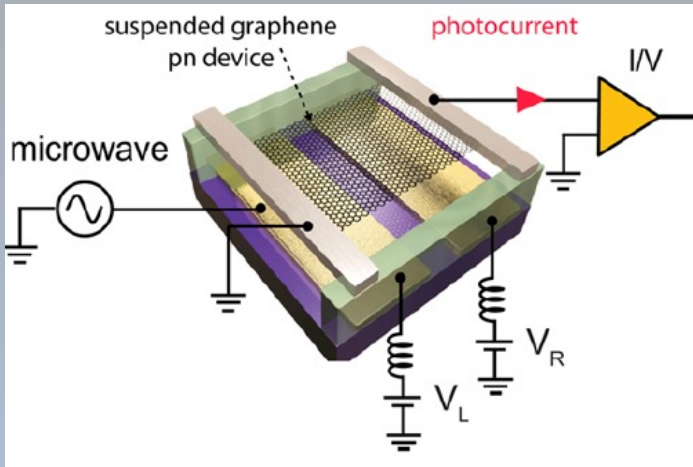
## *Dyakonov – Shur configuration*



*Asymmetric boundary conditions:  
 $V_S = V_0 \cos(\omega t); I_D = 0$   
Result in a DC voltage signal as the device is exposed to radiation*

# Photo-thermoelectric effect in graphene

In case of a **photothermoelectric effect** an non-uniform doping of the channel and non-uniform heating of the channel results in onset of a DC voltage proportional to increase of the electron temperature



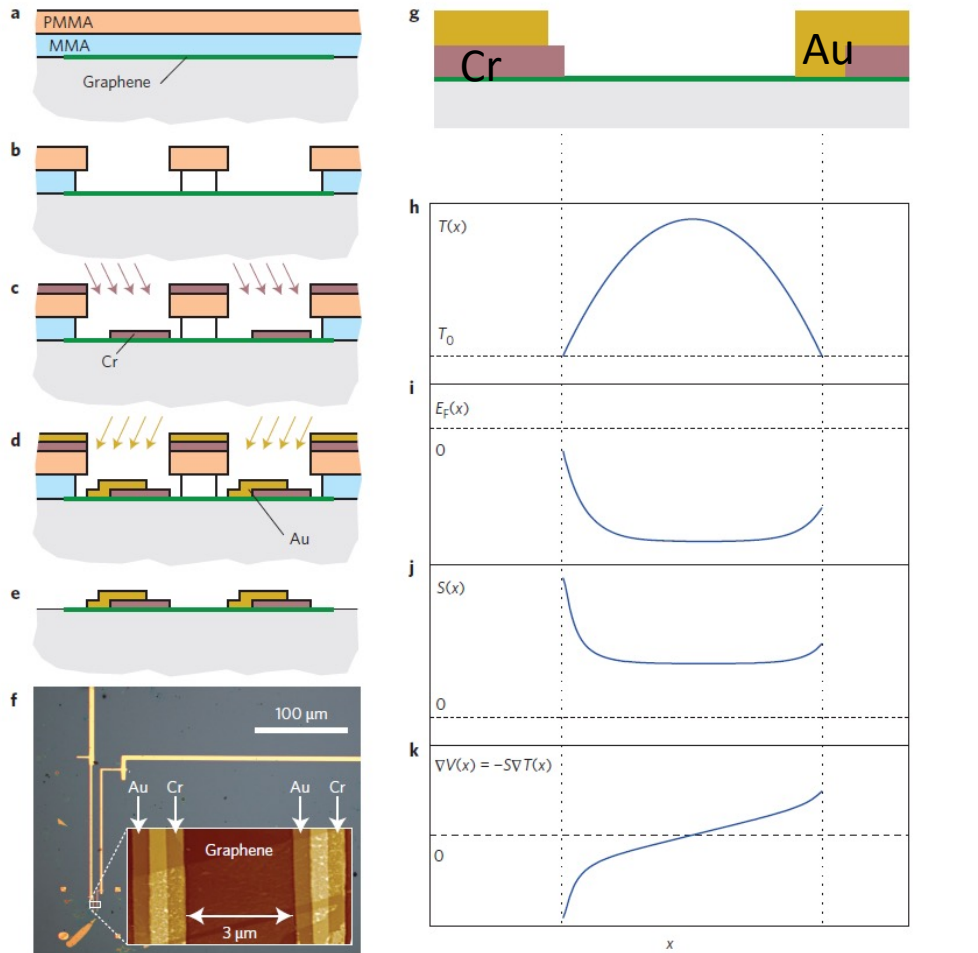
## Graphene advantages for hot-electron photothermoelectric detection:

- Gapless graphene has strong interband absorption at all frequencies.
- The electronic heat capacity of single-layer graphene is much lower than in bulk materials, resulting in a larger change in temperature for the same absorbed energy
- The photothermoelectric effect has a picosecond response time, set by the electron– phonon relaxation rate

# Photo-thermoelectric effect in graphene

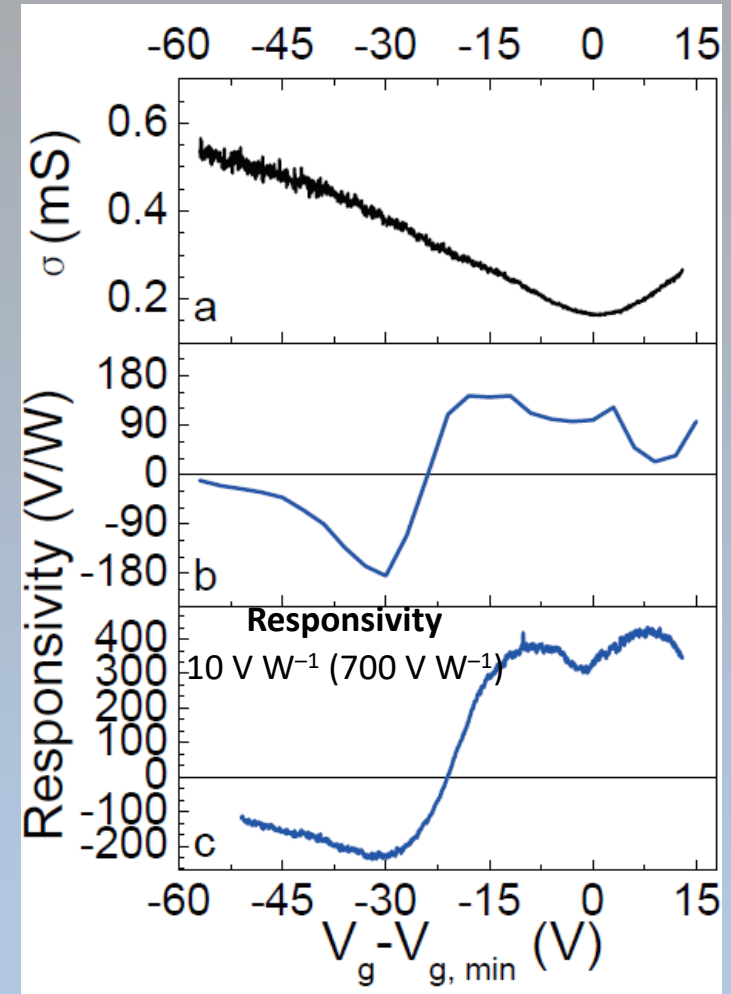
## Graphene photothermoelectric detector.

### Principle of operation



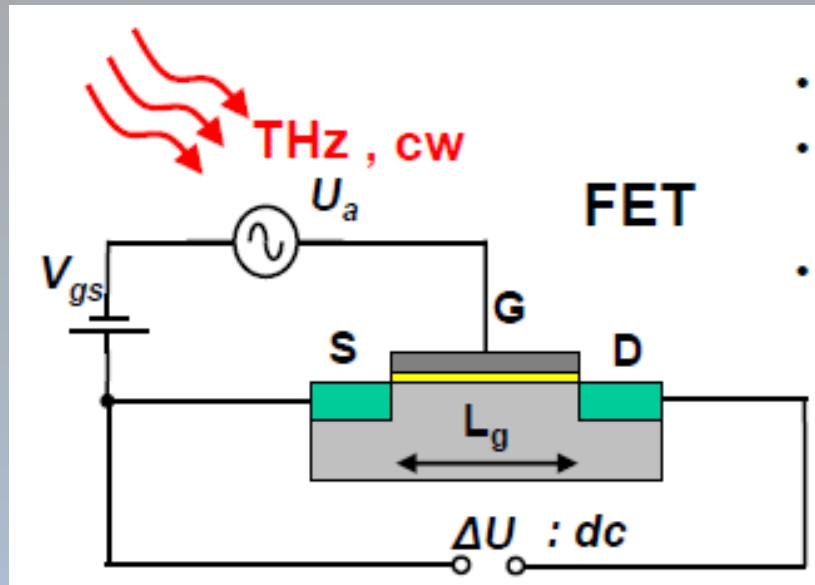
Graphene photothermoelectric detector device fabrication and principle of operation. (a-e) Lithographic sequence used to produce the graphene terahertz detector. (f) Optical micrograph showing electrical contacts and (inset) atomic force micrograph showing bimetallic contacts connected to an exfoliated graphene layer. (g-k) Schematic of the principle components during device operation. (g) Cross-sectional view of the device. (h-j) Profiles across the device of (h) electron temperature  $T(x)$ , (i) Fermi level  $E_F(x)$ , (j) Seebeck coefficient  $S(x)$  and (k) potential gradient

\**Nature Nanotechnology* **9**, 814–819 (2014)



Broadband thermoelectric responsivity of graphene photothermoelectric detector. (a,d) Electrical conductance, (b,e) responsivity to Joule heating, and (c,f) responsivity to radiation as a function of gate voltage for the device shown in Fig. 1f at room temperature and in ambient environment.

# Detection, mixing, and frequency multiplication of terahertz radiation by two-dimensional electronic fluid\*



The basic equations describing the two dimensional electronic fluid are the relationship between the surface carrier concentration and gate voltage swing, the equation of motion, and the continuity equation

$$n_s = CU/e$$

$$\frac{\partial v}{\partial t} + v \frac{\partial v}{\partial x} + \frac{e}{m} \frac{\partial U}{\partial x} + \frac{v}{\tau} = 0$$

$$\frac{\partial U}{\partial t} + \frac{\partial(Uv)}{\partial x} = 0.$$

$$\frac{\Delta U}{U_o} = \frac{1}{4} \left( \frac{U_a}{U_o} \right)^2 f(\omega)$$

The boundary conditions

$$U(0, t) = U_o + U_a \cos \omega t \quad \text{for } x = 0$$

$$j(L, t) = 0 \quad \text{for } x = L$$

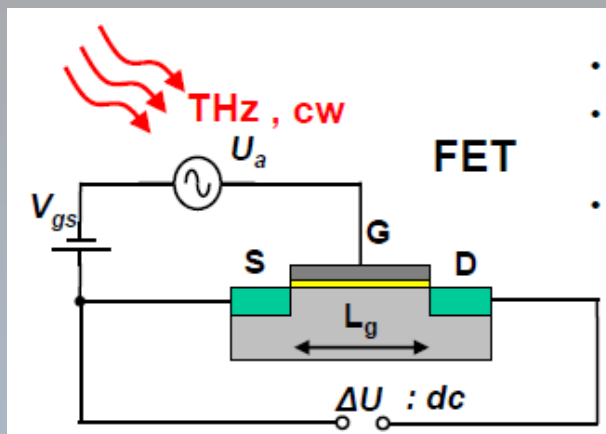
where

$$f(\omega) = 1 + \beta - \frac{1 + \beta \cos(2k'_o L)}{\sinh^2(k''_o L) + \cos^2(k'_o L)}$$

Here

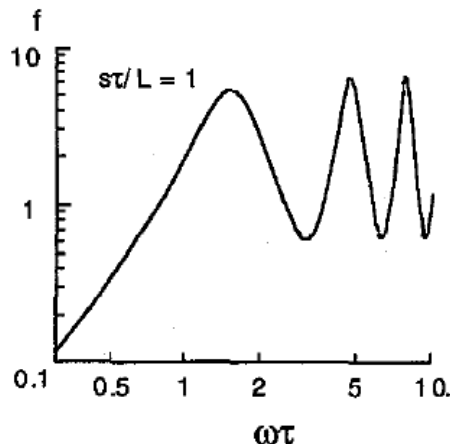
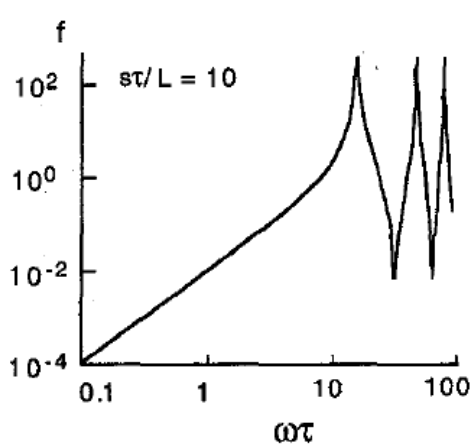
$$\beta = \frac{2\omega\tau}{\sqrt{1 + (\omega\tau)^2}}$$

# Detection, mixing, and frequency multiplication of terahertz radiation by two-dimensional electronic fluid



**Resonant Detector**  $\omega\tau \gg 1$

$$f(\omega) = \frac{3 \sinh^2\left(\frac{L}{2s\tau}\right) + \sin^2\left(\frac{\omega L}{s}\right)}{\sinh^2\left(\frac{L}{2s\tau}\right) + \cos^2\left(\frac{\omega L}{s}\right)}$$



$$\frac{\Delta U}{U_o} = \frac{1}{4} \left( \frac{U_a}{U_o} \right)^2 f(\omega)$$

where

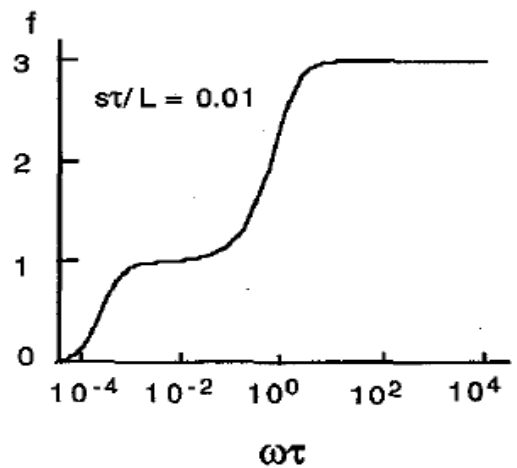
$$f(\omega) = 1 + \beta - \frac{1 + \beta \cos(2k'_o L)}{\sinh^2(k'_o L) + \cos^2(k'_o L)}$$

Here

$$\beta = \frac{2\omega\tau}{\sqrt{1 + (\omega\tau)^2}}$$

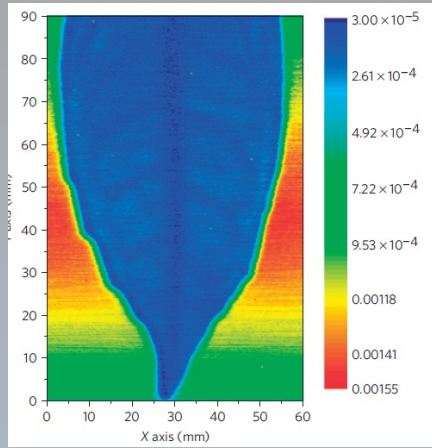
**Broadband Detector**  $\omega\tau \ll 1$

$$f(\omega) = 1 + \frac{2\omega\tau}{\sqrt{1 + \omega^2\tau^2}}$$





# Graphene field-effect transistors as room-temperature terahertz detectors\*



Due to high room-temperature mobility (up to **10 000 cm<sup>2</sup>/(V s)**) on SiO<sub>2</sub> graphene is promising for THz FET photodetectors.

## Diffusive transport model

$$\omega\tau_{ee} \ll 1$$

$$\omega\tau_{tr} \ll 1$$

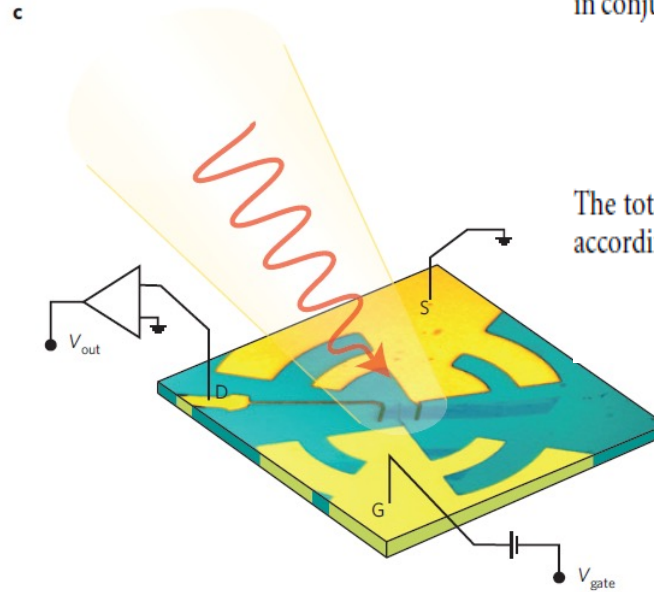
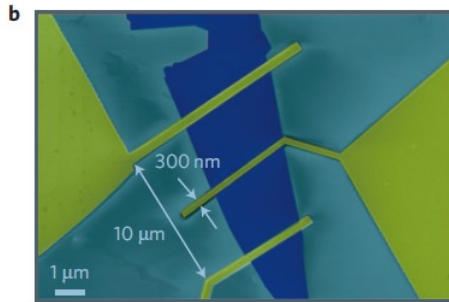
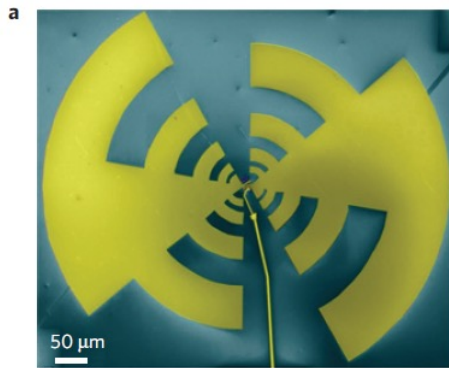
$$j(x,t) = \sigma E(x,t) = -\sigma \frac{\partial V_G(x,t)}{\partial x}$$

in conjunction with the continuity equation:

$$\frac{\partial[-en(x,t)]}{\partial t} + \frac{\partial j(x,t)}{\partial x} = 0$$

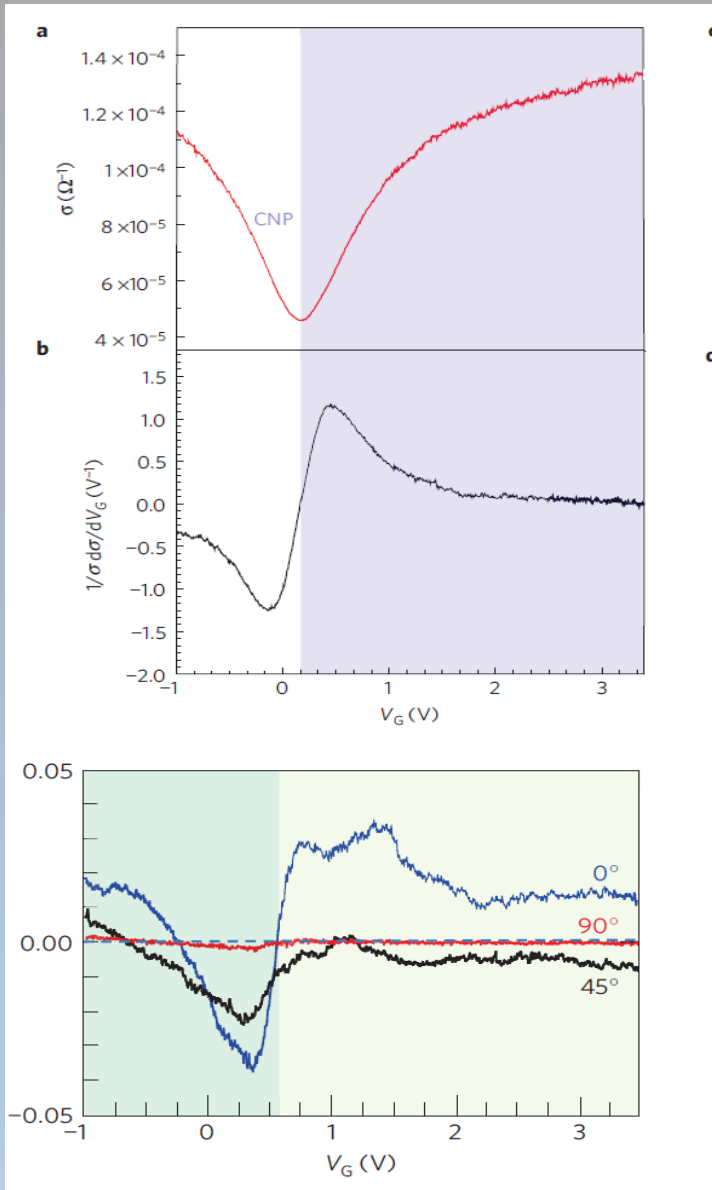
The total carrier density  $-en(x,t)$  is modulated by the gate voltage  $V_G(x,t)$  according to

$$-en(x,t) = CV_G(x,t)$$



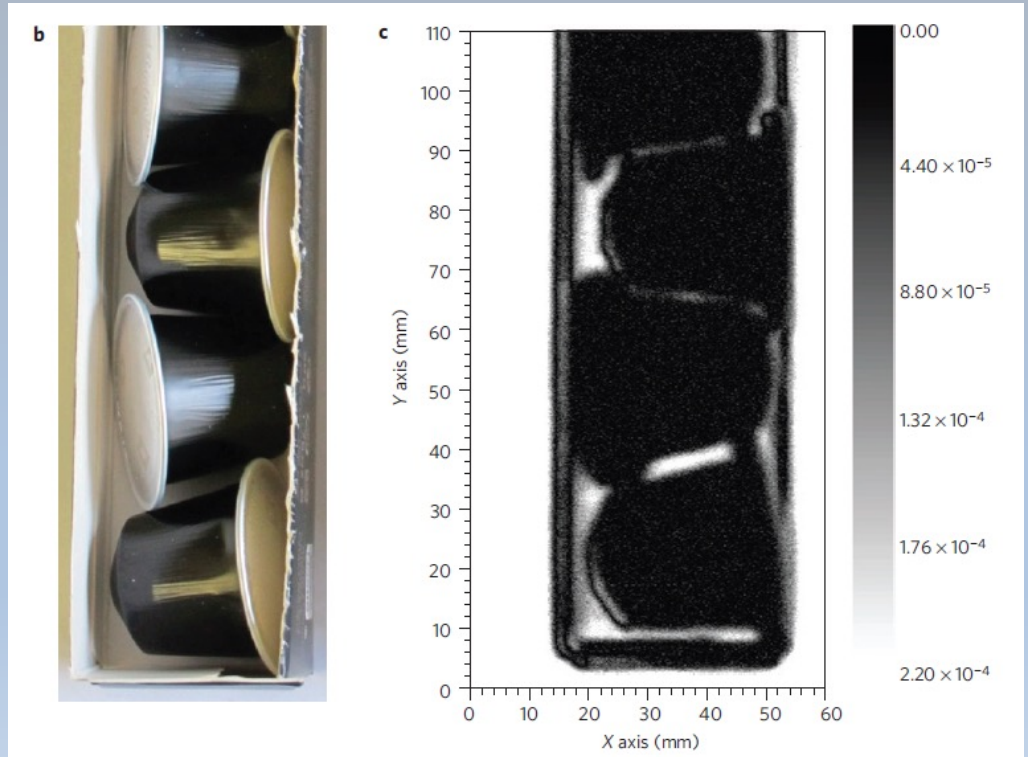
$$\Delta u = \frac{U_a^2}{4} \frac{1}{\sigma(U_0)} \left. \frac{d\sigma(V_G)}{dV_G} \right|_{V_G=U_0}$$

# Graphene field-effect transistors as room-temperature terahertz detectors\*

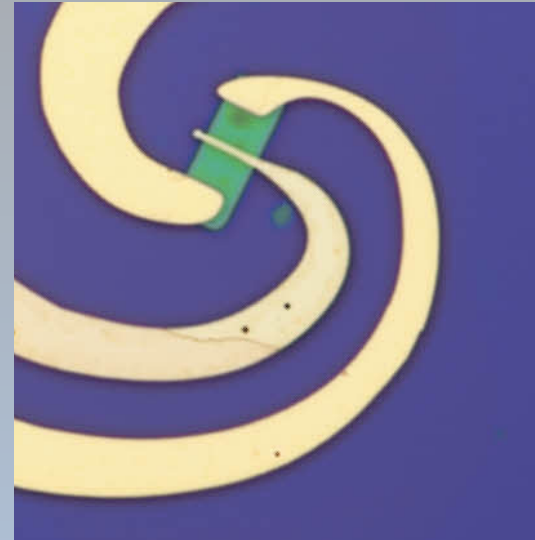


$$\Delta u = \frac{U_a^2}{4} \frac{1}{\sigma(U_0)} \left. \frac{d\sigma(V_G)}{dV_G} \right|_{V_G=U_0}$$

The minimum RT NEP is  $200 \text{ nWHz}^{-1/2}$  for SLG and almost one order of magnitude lower ( $30 \text{ nWHz}^{-1/2}$ ) for BLG.



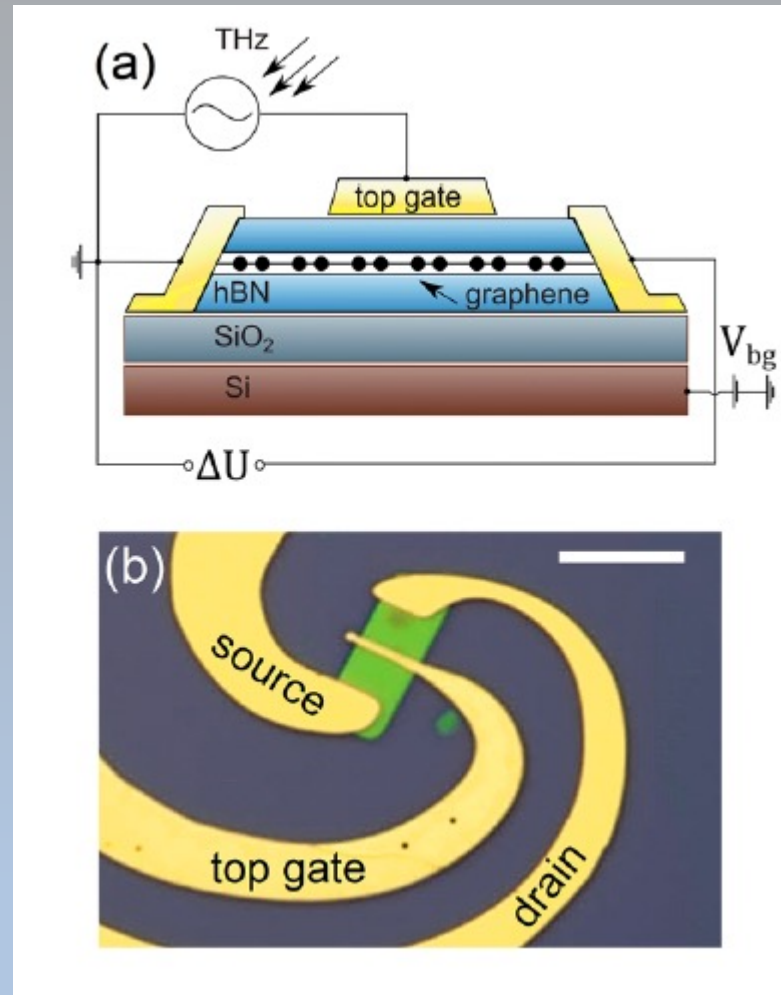
## 2D FETs for THz detection: Graphene. Further research



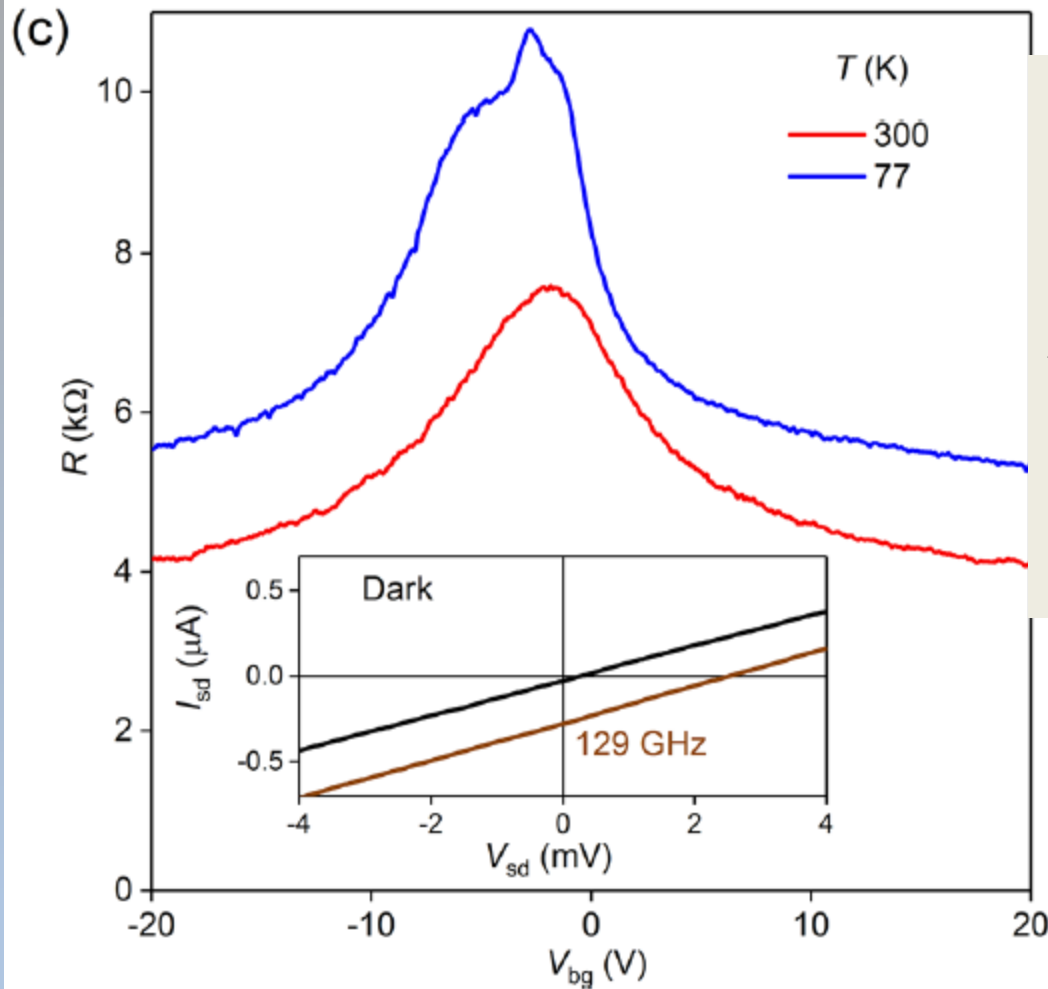
**Highest mobility devices probed in DS configuration**

*D. A. Bandurin, I. Gayduchenko, et al., 112, 141101, (2018)*

# 2D FETs for THz detection: Graphene. Further research



# 2D FETs for THz detection: Graphene. Further research



**Evident contact resistance  $R_c$**

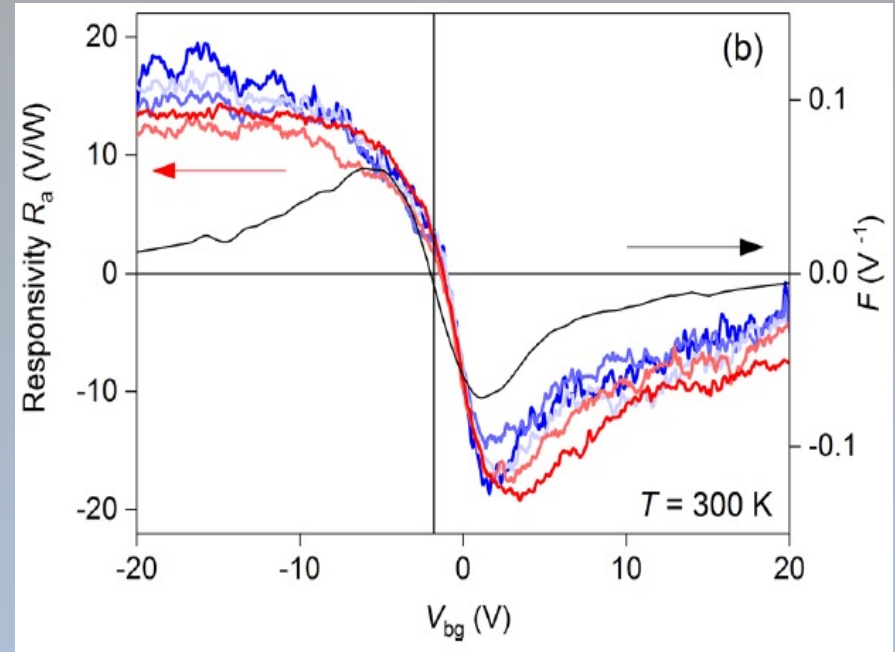
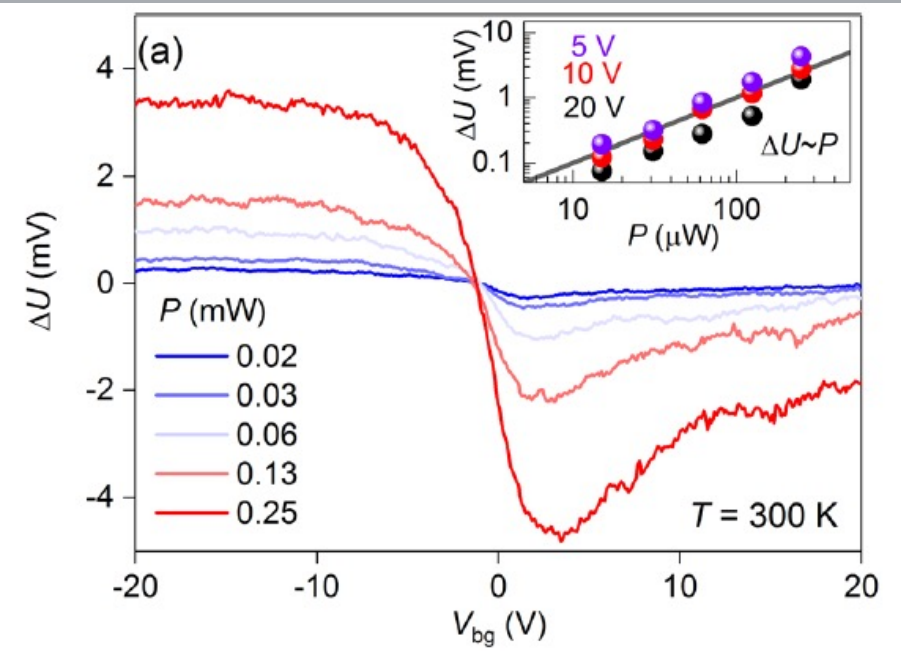
**At least two-fold increase of Mobility upon cooling**

**Photo induced voltage**

**RT mobility**

$$\mu = 3200 \text{ cm}^2 \text{V}^{-1} \text{s}^{-1}$$

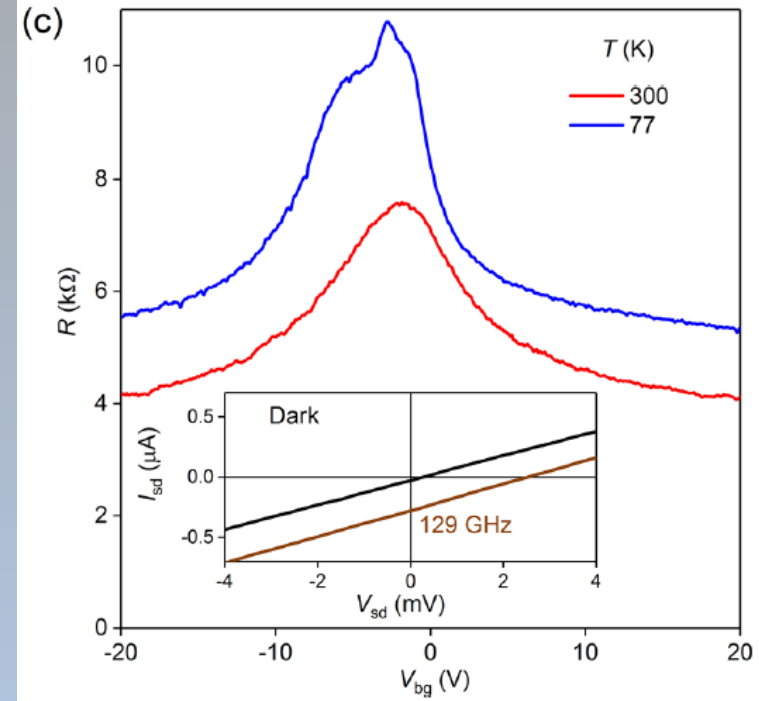
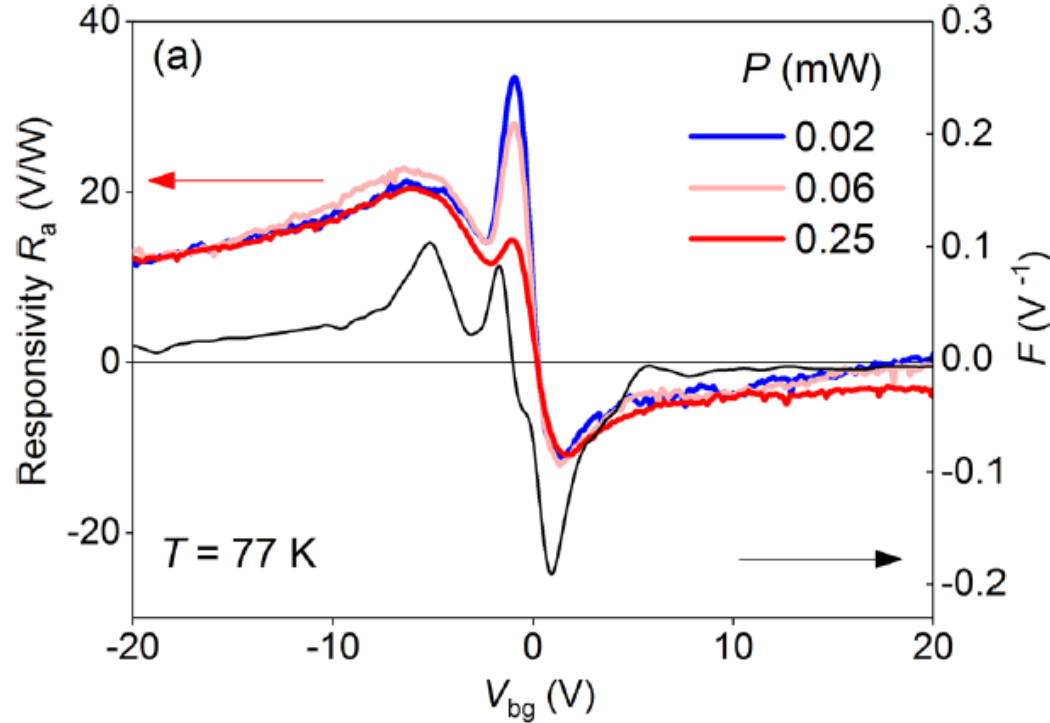
# 2D FETs for THz detection: Graphene. Further research



**@ Room temperature the response voltage is a linear function of the radiation power**

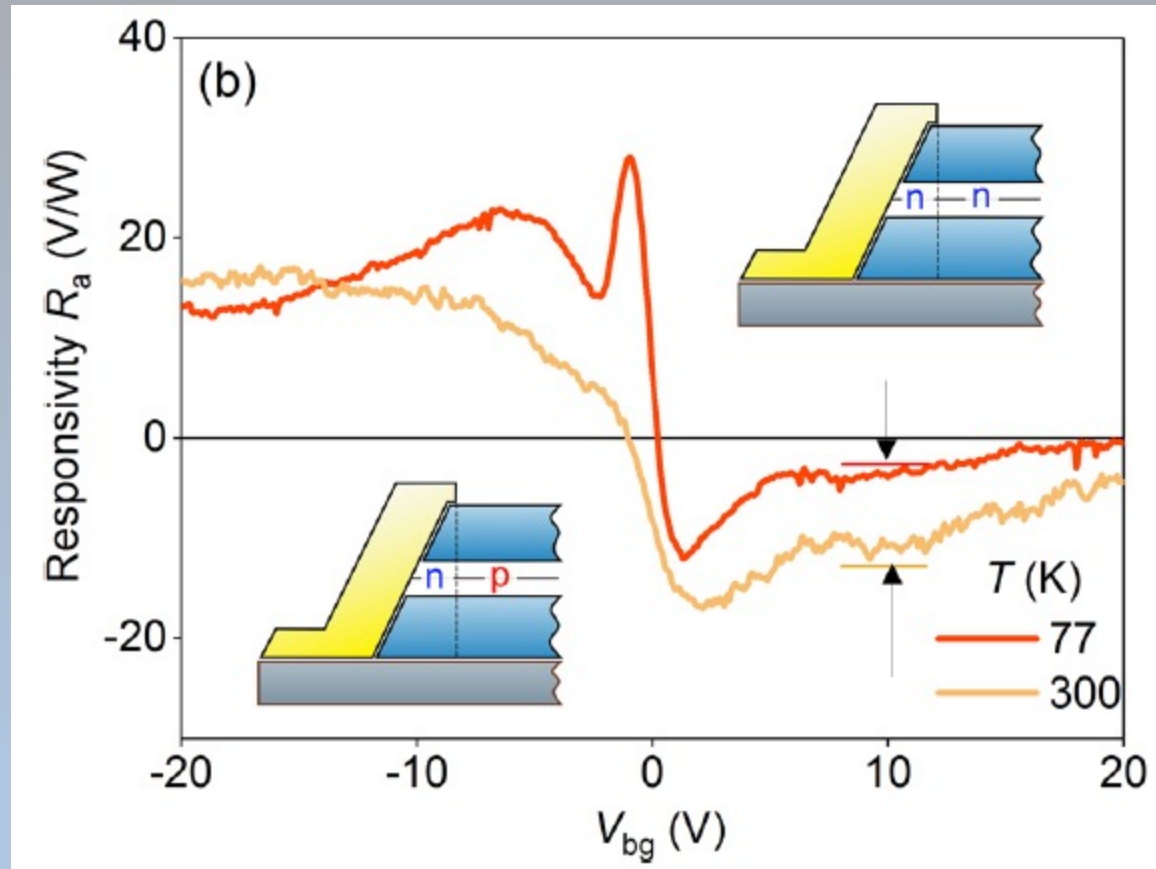
**More importantly,  $R(V_g)$  follows the  $F(V_g)$  with  $F = dG/dV_g * R$**

# 2D FETs for THz detection: Graphene. Further research



At 77 K peak responsivity increases as the radiation power goes down  
 $R(V_g)$  still follows the  $F(V_g)$

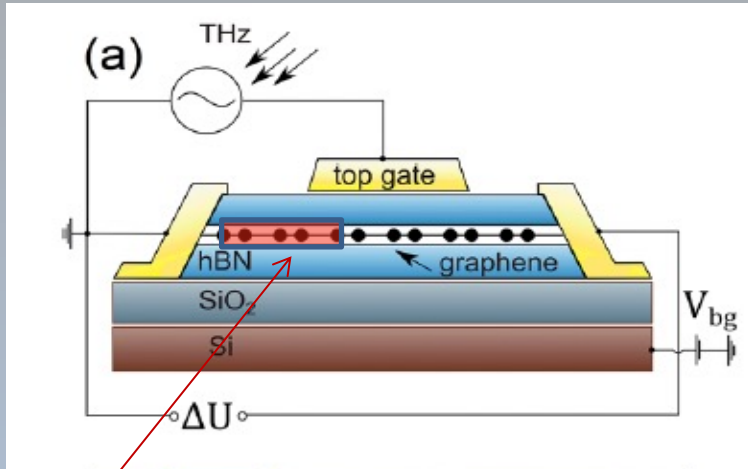
# 2D FETs for THz detection: Graphene. Further research



Temperature evolution of responsivity is different for different gate voltages



# Heating-induced photoresponse

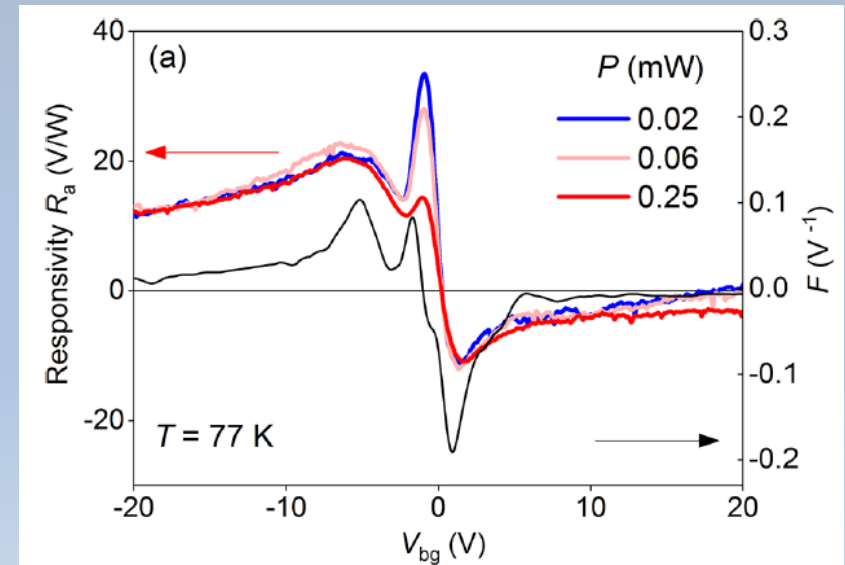
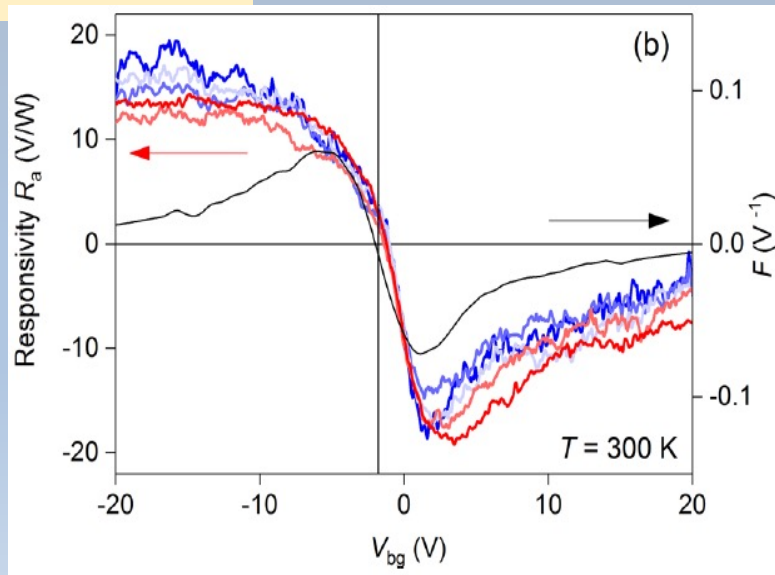


$$U_{PTE} = -\int SdT \approx S(T_S - T_D)$$

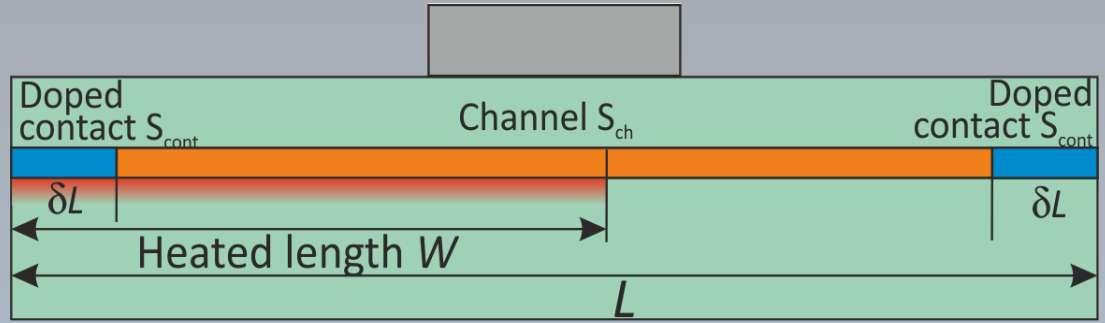
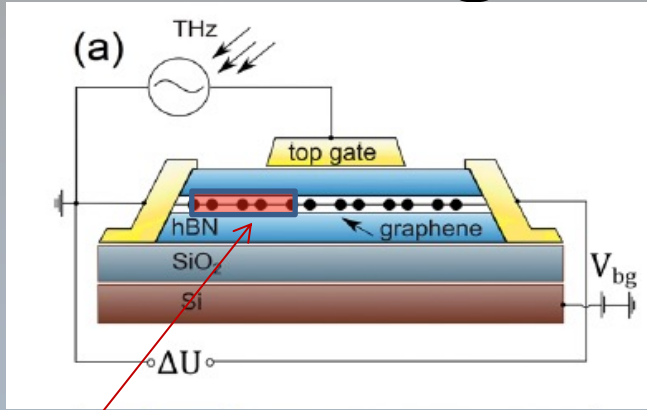
$S \approx -\frac{\pi^2 k_B^2 T}{3e} \frac{1}{\sigma} \frac{d\sigma}{dE_F}$  is the Seebeck coefficient

$$F = \frac{1}{\sigma} \frac{d\sigma}{dV_{bg}}$$

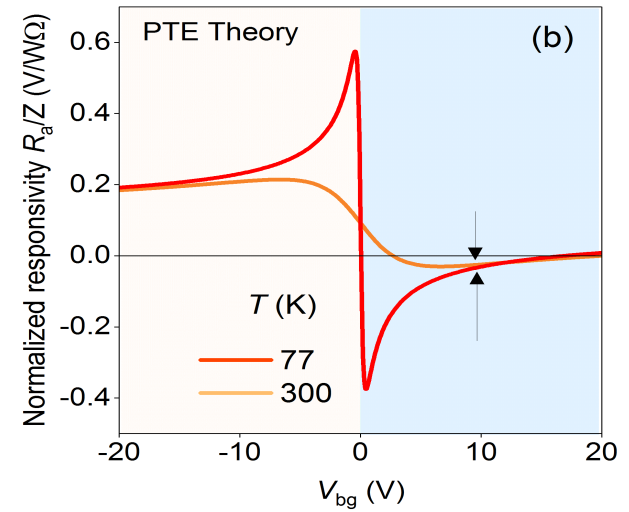
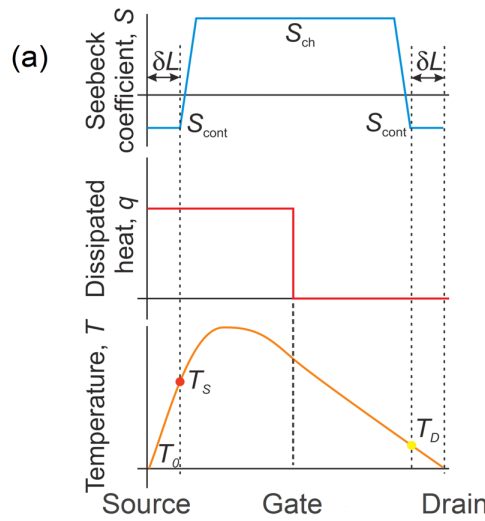
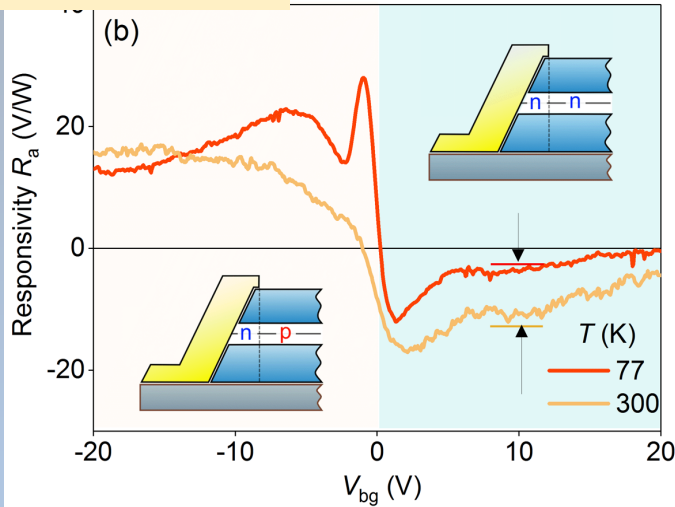
*Heated region*



# Heating-induced photoresponse



**Heated region**

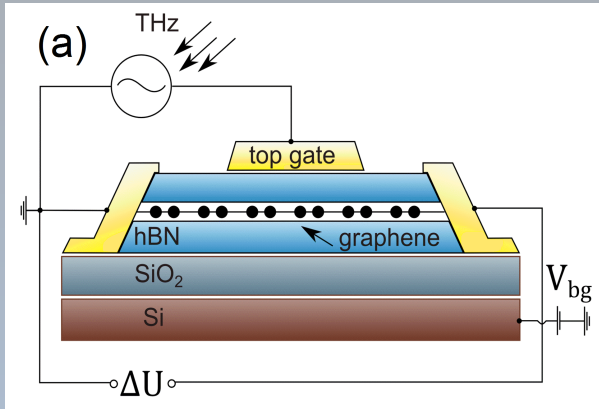


$$U_{PTE} = (S_{ch} - S_{cont})(T_S - T_D)$$

$$R_a \approx \frac{3}{2\pi^2} \left[ \frac{e}{k_B} (S_{cont} - S_{ch}) \right] \frac{eZ_a}{k_B T} \frac{\delta L}{L}$$

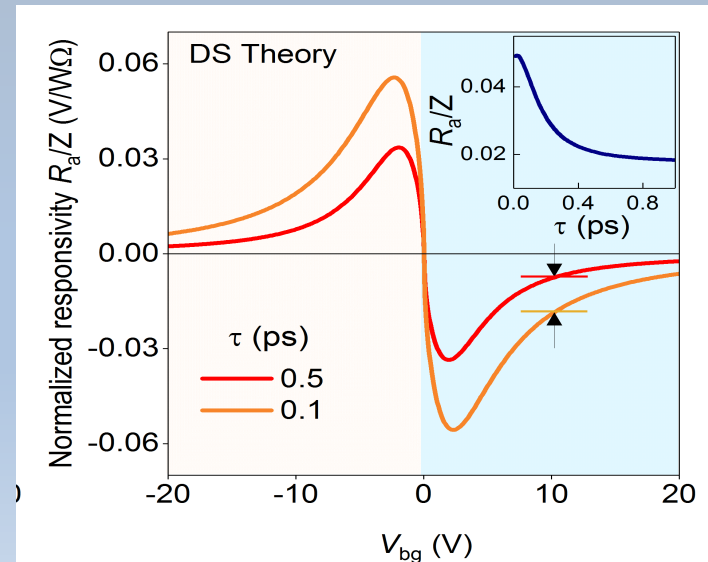
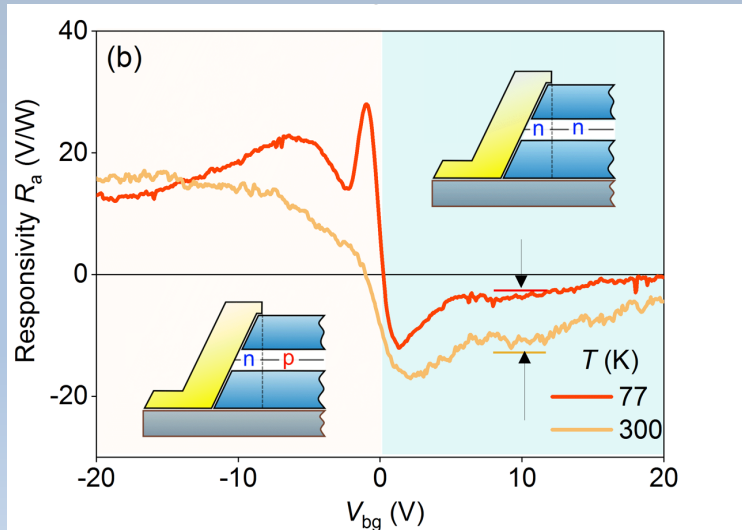
Temperature evolution of responsivity is different for in case of PURE PTE accounting for the p-n junction at the Ti-Graphene interface (simulations performed by D. Svintsov)

# Dyakonov-Shur photoresponse



$$\Delta U_{DS} = \frac{U_a^2}{4} \frac{1}{\sigma} \frac{d\sigma}{dV_{bg}} g(\omega) \propto U_a^2 F, \quad (3)$$

where  $U_a$  is the antenna voltage,  $L$  is the channel length,  $g(\omega) = (\sinh^2 kL - \sin^2 kL) / (\sinh^2 kL + \cos^2 kL)$  is the "form factor" depending on the wave number  $k = \sqrt{\omega / (2s^2\tau)}$  of the overdamped plasma wave characterized by the group velocity  $s = \sqrt{4\alpha_{ee}d\sqrt{\pi n}}$ ,  $n$  is the carrier density and  $\alpha_{ee} \sim 1$  is the parameter describing the strength of e-e interactions in



# Conclusions

- FET based on graphene encapsulated in hBN can serve as high-responsivity THz detector
- Terahertz detection in graphene FETs is a combination of resistive self-mixing, photothermoelectric effects and p-n junction rectification
- Hydrodynamics, strong electron-electron and electron-hole scattering are good for photodetection